

OPEN CHANNEL FLOW

- Flow open to atmosphere
- Pipe flow is flow under pressure

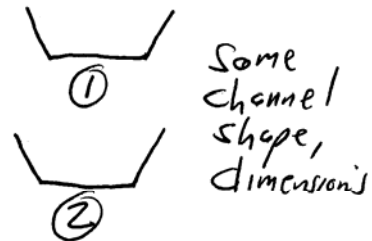
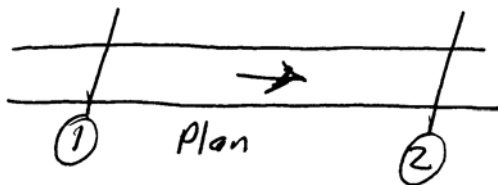
4 Types of Flow

① Steady - Depth of flow does not change with time, i.e. peak flow of single moment

② Unsteady - Depth of flow changes with time, i.e. flood hydrograph



③ Uniform - Depth is same, channel shape same; i.e. canal



Same channel shape, dimensions

④ Nonuniform, varied - Depth changes, channel changes, i.e. natural river



Continuity Equation:

(2)

$$Q = V_1 A_1 = V_2 A_2$$

Mannings Equation:

$$V = \frac{1.486}{n} R^{2/3} S^{1/2}$$

where: V = velocity in channel (fps)

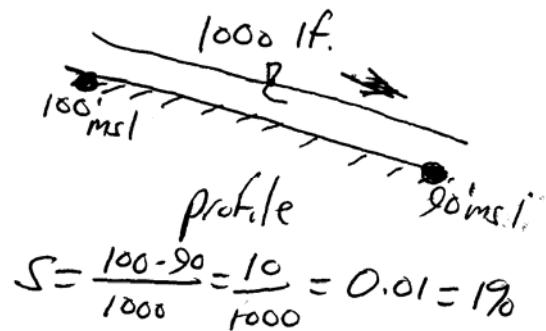
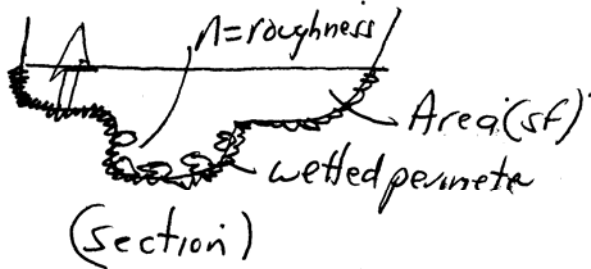
n = manning's roughness value (p. 319
Linsley
Table 10.1)
= 0.013 (concrete)
= 0.035 (natural channel)

R = hydraulic radius = $\frac{A}{WP}$

A = channel x-section area (sf)

WP = wetted perimeter (ft)

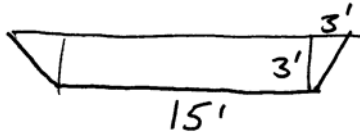
S = slope of channel (ft/ft)



Since $Q = VA$,

$$\text{then } Q = \frac{1.486}{n} (R^{2/3}) (S)^{1/2} (A)$$

Ex. 1 Newark water supply canal



$$n = 0.030$$

$$S = \frac{10'}{3/4(5280\text{ft})} = 0.0025 \frac{\text{ft}}{\text{ft}}$$

$$R = \frac{A}{WP} = \frac{(3 \times 3) + (15 \times 3) = 54 \text{sf}}{\sqrt{3^2 + (15)^2}}$$

$$V = \frac{1.486}{0.03} (2.3)^{2/3} (0.0025)^{1/2} = \frac{54 \text{sf}}{23.5} = 2.3 \text{ft}$$

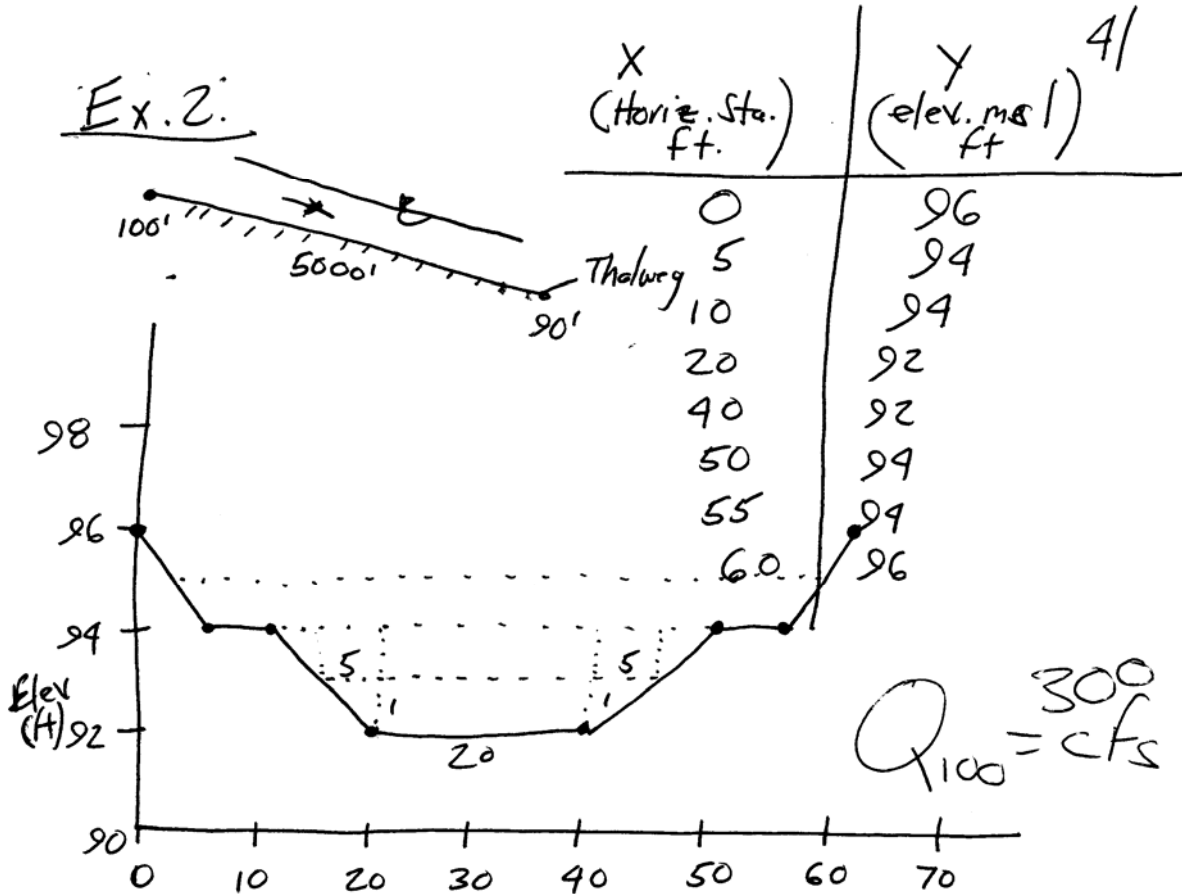
$$= (49.5) (1.75) (0.05) \quad A = 54 \text{sf}$$

$$V = 4.3 \text{fps}$$

$$Q = 4.3 \text{fps} (54 \text{sf})$$

$$= \underline{234 \text{ cfs}}$$

Ex. 2.

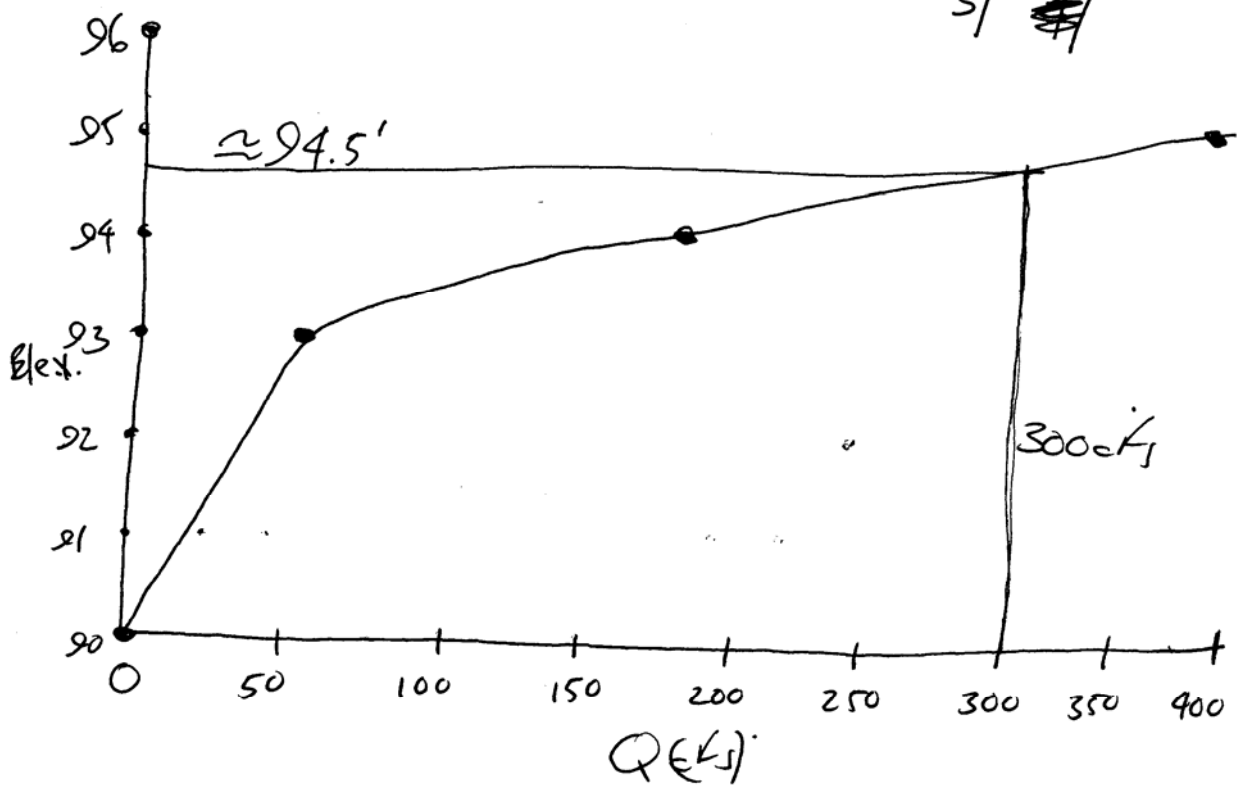


$Q_{100} = 300 \text{ cfs}$

Horiz. Sta. (ft)

Elev. (ft)	Depth (ft)	$\frac{1.486}{n} = 0.030$	$\frac{S^{1/2}}{(\frac{ft}{ft})}$	A (sf)	WP (ft)	$\frac{A}{WP}$	$(\frac{A}{WP})^{2/3}$	$V = \frac{1.486}{n} R^{2/3} S^{1/2}$	Q=VA (cfs)
93	1	49.5	$\frac{10/5000}{\sqrt{0.002}} = 0.045$	$\frac{5(1) + 2(1)}{2} = 25$	$\frac{5.1 + 20}{2} = 30.2$	$\frac{25}{30.2} = 0.83$	0.88	1.96	49
94	1	49.5	0.045	$\frac{25 + 20}{2} + 5 + 5 = 60$	$\frac{10 + 20}{2} + 10 = 40$	$\frac{60}{40} = 1.5$	1.31	2.92	175
95	1	49.5	0.045	$\frac{60 + 50}{2} + 2.5 + 2.5 = 112$	$\frac{2.5 + 50}{2} + 10 + 20 + 10 + 5 = 55$	$\frac{112}{55}$	2.0	4.45 3.60	404

Find elevation, & depth @ $Q = 300 \text{ cfs}$
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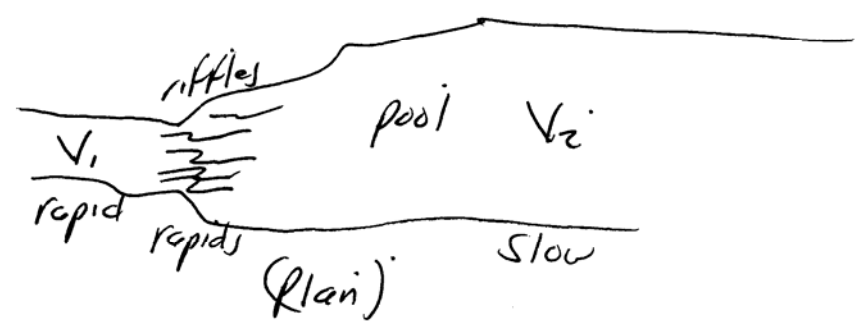
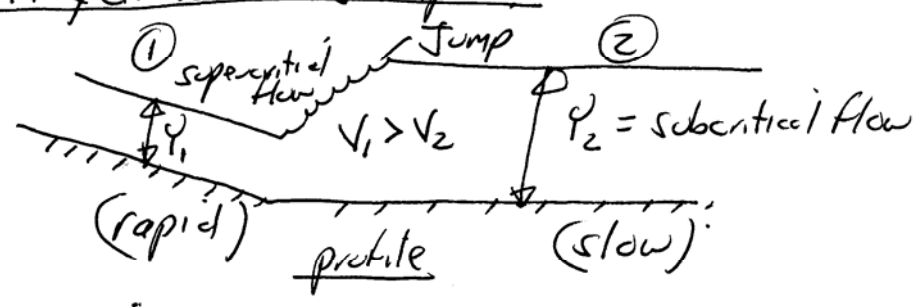
Download Mannings Equation software:

- ① www.wateregr.com
 - ② Register name, ID, email
 - ③ Free software
 - ④ Download Hydraulics utility program
CHNLS - XY
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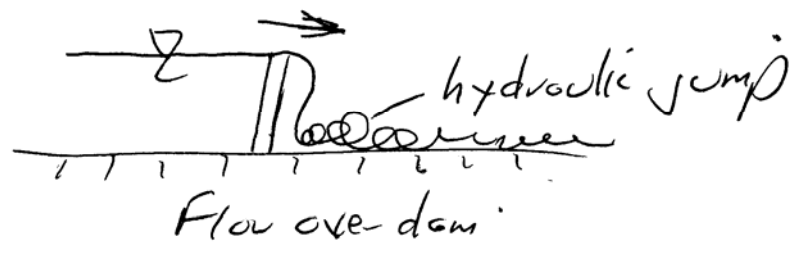
Hydraulic Jump

⑥

①



- $D > \text{normal depth } (d_n)$, subcritical flow, $V \downarrow$
- $D < \text{normal depth } (d_n)$, supercritical flow, $V \uparrow$
- $D = \text{normal depth } (d_n)$, flow @ normal depth $V \rightarrow$



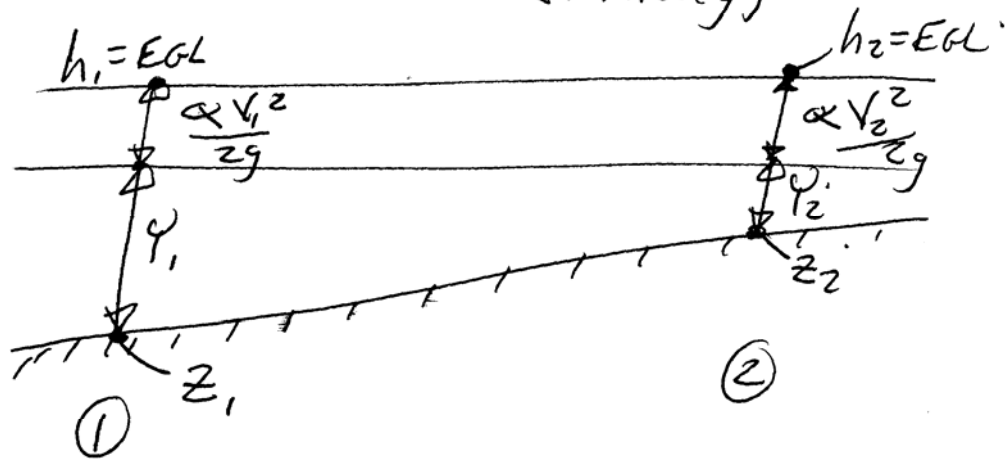
7/

Energy Grade Line

$$h = y_1 + \alpha \frac{V_1^2}{2g} + z_1 = y_2 + \alpha \frac{V_2^2}{2g} + z_2 \dots$$

and so on.....

Where: h = head of channel, EGL
 y = depth of flow
 $\alpha \frac{V^2}{2g}$ = velocity head, $\alpha = 1.0 - 1.5$
 z = elevation of channel bottom (thalweg)



Open channel flow models balance out
 $Q = VA$, $V = \frac{1.486}{n} R^{2/3} S^{1/2}$, and EGL equations

8/ 10/6/09

Gate Flow

$$Q = C_d (b) (Y_g) (\sqrt{2gh})$$

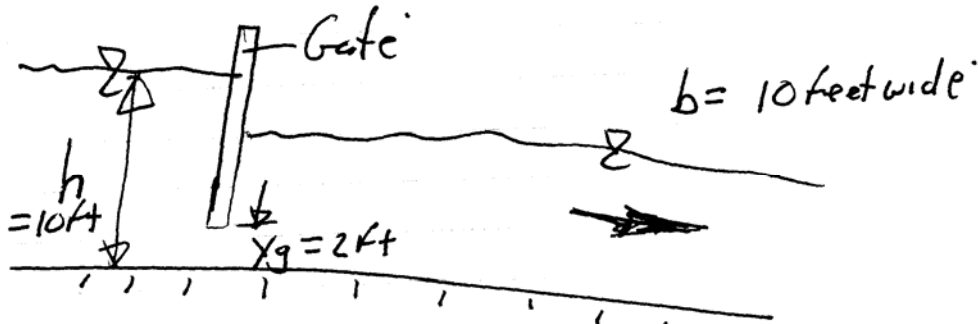
where: $C_d = 1.0$

$b =$ channel width (ft)

$Y_g =$ gate opening

$g = 32.2 \text{ ft/sec}^2$

$h =$ depth of water behind gate.



$$Q = (1)(10\text{ft})(2\text{ft}) \left(\sqrt{2(32.2)(10)} \right)$$
$$= 20(25.4) = \underline{508 \text{ cfs}}, \text{ through a } 2 \times 10' \text{ wide gate.}$$

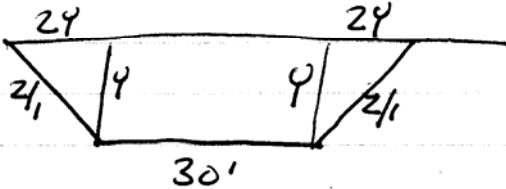
9/

Critical Flow Depth

$$\frac{Q^2}{g} = \frac{A^3}{T}$$

where: $Q = \text{flow (cfs)}$
 $g = 32.2 \text{ ft/sec}^2$
 $A = \text{Area (sf)}$
 $T = \text{width of channel}$

Ex. 1



$$T = 30 + 4y$$

$$A = 30y + \frac{y(4y)}{2} + \frac{y(4y)}{2}$$

$$= 30y + 2y^2$$

$$\frac{310^2}{32.2} = \frac{(30y + 2y^2)^3}{30 + 4y}$$

Try $y = 1 \text{ ft}$

$$310 = \frac{(30(1) + 2(1)^2)^3}{30 + 4(1)} = \frac{(32)^3}{34} = 963 > 310 \text{ NG}$$

Try $y = 0.5 \text{ ft}$

$$310 = \frac{(30(0.5) + 2(0.5)^2)^3}{30 + 4(0.5)} = \frac{15.5^3}{32} = 116 < 310 \text{ NG}$$

Try $y = 0.7 \text{ ft}$

$$310 = \frac{(30(0.7) + 2(0.7)^2)^3}{30 + 4(0.7)} = \frac{(21.98)^3}{32.8} = 323 \approx 310 \text{ OK}$$

$$y_c \approx \underline{0.7 \text{ ft}}$$